

Sol: 4)

When n_2 is taped,

$n_1 \sim n_2 = 6$ instead of 4 as previous

$\therefore n_1 - n_2 = 6; 200 - n_2 = 6$

$n_2 = 1944z$.

50. If a simple harmonic motion is represented by $\frac{d^2x}{dt^2} + \alpha x = 0$, its time period is

- 1) $\frac{2\pi}{\sqrt{\alpha}}$ 2) $\frac{2\pi}{\alpha}$ 3) $2\pi\sqrt{\alpha}$ 4) $2\pi\alpha$

Sol: 1)

$$\frac{d^2x}{dt^2} = -\omega^2 x \Rightarrow \omega = \sqrt{\alpha}$$

$$= T = \frac{2\pi}{\omega} = \frac{2\pi}{\sqrt{\alpha}}$$

51. An observer moves towards a stationary source of sound, with a velocity one-fifth of the velocity of sound. What is the percentage increase in the apparent frequency?

- 1) 0.5% 2) zero 3) 20% 4) 5%

Sol: 3)

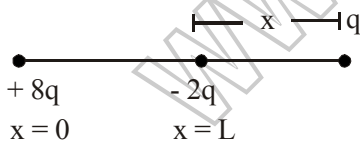
$$n^2 = n \left[\frac{v + v_o}{v} \right] = n \left[\frac{v + \frac{v}{5}}{v} \right] = n \left[\frac{6}{5} \right]$$

$$\frac{n^2}{n} = \frac{6}{5}; \frac{n^2 - n}{n} = \frac{6 - 5}{5} \times 100 = 20\%$$

52. Two point charges $+8q$ and $-2q$ are located at $x = 0$ and $x = L$ respectively. The location of a point on the x axis at which the net electric field due to these two point charges is zero is

- 1) $\frac{L}{4}$ 2) $2L$ 3) $4L$ 4) $8L$

Sol: 2)



$$\frac{8q \times q}{(L+x)^2} = \frac{q \times 2q}{x^2}$$

$$\frac{2}{L+x} = \frac{1}{x} \quad 2x = L+x \quad x = L$$

from $x = 0$, total distance = $L + L = 2L$

53. When an unpolarized light of intensity I_0 is incident on a polarizing sheet, the intensity of the light which does not get transmitted is

- 1) $\frac{1}{4} I_0$ 2) $\frac{1}{2} I_0$ 3) I_0 4) zero

Sol: (2)

$$I = I_o \cos^2 \theta$$

$$\text{Intensity of polarized light} = \frac{I_o}{2}$$

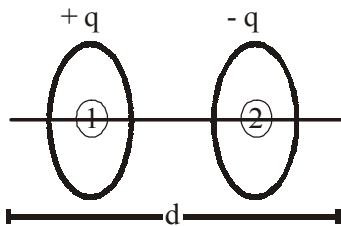
$$\Rightarrow \text{Intensity of untransmitted light} = I_o - \frac{I_o}{2} = \frac{I_o}{2}$$

\therefore (2) is correct

54. Two thin wire rings each having a radius R are placed in a distance d apart with their axes coinciding. The charges on the two rings are $+q$ and $-q$. The potential difference between the centres of the two rings is

1) $\frac{Q}{2\pi\epsilon_0} \left[\frac{1}{R} - \frac{1}{\sqrt{R^2 + d^2}} \right]$ 2) $\frac{QR}{4\pi\epsilon_0 d^2}$ 3) $\frac{Q}{4\pi\epsilon_0} \left[\frac{1}{R} - \frac{1}{\sqrt{R^2 + d^2}} \right]$ 4) zero

Sol: 1)



At (1) using, potential $(V_1) = V_{\text{self}} + V_{\text{due to 2 using}}$

$$= \frac{1}{4\pi\epsilon_0} \frac{q}{R} - \frac{q}{\epsilon_0 \sqrt{R^2 + d^2}}$$

At (2) using potential $(V_2) = V_{\text{self}} + V_{\text{due to 1 using}}$

$$\frac{1}{4\pi\epsilon_0} \frac{-q}{R} + \frac{q}{\epsilon_0 \sqrt{R^2 + d^2}}$$

$$\Delta v = v_1 - v_2 = \frac{1}{4\pi\epsilon_0} \frac{q}{R} + \frac{1}{4\pi\epsilon_0} \frac{q}{R} - \frac{q}{\epsilon_0 \sqrt{R^2 + d^2}} - \frac{q}{\epsilon_0 \sqrt{R^2 + d^2}}$$

$$= \frac{1}{2\pi\epsilon_0} \frac{q}{R} - \frac{2q}{\epsilon_0 \sqrt{R^2 + d^2}}$$

55. A parallel plate capacitor is made by stacking n equally spaced plates connected alternatively. If the capacitance between any two adjacent plates is 'C' then the resultant capacitance is

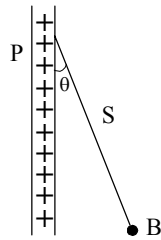
1) $(n + 1)C$ 2) $(n - 1)C$ 3) nC 4) C

Sol: 2)

$(n-1)$ spacing between n capacitances

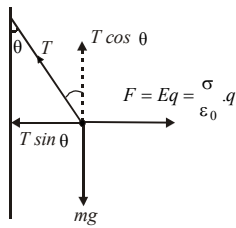
\therefore resultant capacity $(n-1)C$

56. A charged ball B hangs from a silk thread S, which makes an angle θ with a large charged conducting sheet P, as shown in the figure. The surface charge density σ of the sheet is proportional to



- 1) $\cot \theta$ 2) $\cos \theta$ 3) $\tan \theta$ 4) $\sin \theta$

Sol: 3)

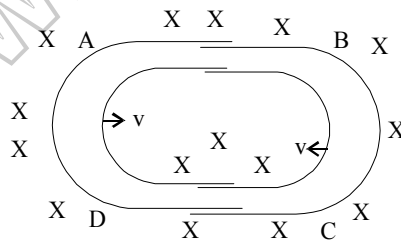


$$\frac{T \sin \theta = \frac{\sigma}{\epsilon_0} \cdot q}{T \cos \theta = mg}$$

$$\tan \theta = \frac{\sigma q}{\epsilon_0 \cdot mg}$$

$$\therefore \sigma \text{ is } \propto \tan \theta$$

57. One conducting U tube can slide inside another as shown in figure, maintaining electrical contacts between the tubes. The magnetic field B is perpendicular to the plane of the figure. If each tube moves towards the other at a constant speed V, then the emf induced in the circuit in terms of B, l and V where l is the width of each tube, will be



- 1) $-Blv$ 2) Blv 3) $2Blv$ 4) zero

Sol: 3)

$$\text{Relative velocity} = V + V = 2V$$

$$\therefore \text{emf.} = B.L (2V)$$

58. A fully charged capacitor has a capacitance 'C'. It is discharged through a small coil of resistance wire embedded in a thermally insulated block of specific heat capacity 's' and mass 'm'. If the temperature of the block is raised by ' ΔT ', the potential difference 'V' across the capacitance is

1) $\frac{mC\Delta T}{s}$

2) $\sqrt{\frac{2mC\Delta T}{s}}$

3) $\sqrt{\frac{2ms\Delta T}{C}}$

4) $\frac{ms\Delta T}{C}$

Sol: 3) $\frac{1}{2} CV^2 = m.s \Delta t; V = \sqrt{\frac{2.m.s.\Delta t}{c}}$

59. Two thin, long, parallel wires, separated by a distance 'd' carry current of 'i' a in the same direction. They will

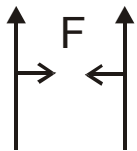
1) repel each other with a force of $\frac{\mu_0 i^2}{(2\pi d)}$

2) attract each other with a force of $\frac{\mu_0 i^2}{(2\pi d)}$

3) repel each other with a force of $\frac{\mu_0 i^2}{(2\pi d^2)}$

4) attract each other with a force of $\frac{\mu_0 i^2}{(2\pi d^2)}$

Sol: 2)



$$\frac{F}{\text{length}} = \frac{\mu_0 i_1 i_2}{2 \pi d} \text{ (attractive)}$$

$$= \frac{\mu_0 i^2}{2 \pi d} \text{ (attractive)}$$

60. A heater coil is cut into two equal parts and only one part is now used in the heater. The heat generated will now be

1) four times

2) doubled

3) halved

4) one fourth

Sol: 2)

$$H = \frac{V^2 t}{R J} \text{ (as the same heater is used this formula has to be adopted, because it works at same voltage)}$$

Resistance of part $\rightarrow \frac{R}{2}$

\therefore 'H' will be doubled.